

CSC 501 - Assignment #1

version 3.2

Due Wednesday 9/28/16 in Sakai

Problems

Given the grammar $G = (\Gamma, \rightarrow, \gamma)$:

- $\Gamma = T \cup N$ where

$$T = \{0, \dots, 9, \mathbf{a}, \dots, \mathbf{z}, \mathbf{true}, \mathbf{false}, \mathbf{skip}, \mathbf{if}, \mathbf{then}, \mathbf{else}, \mathbf{while}, \mathbf{do}, \mathbf{end}, +, -, *, =, \leq, !, \&\&, ||, :=, :, (,)\}$$

and

$$N = \{A, B, C, D, L, V\}.$$

- The rule set \rightarrow is defined by the BNF style rewrite rules:

$$\begin{aligned} A &\rightarrow D | V | A + A | A - A | A * A | (A) \\ B &\rightarrow \mathbf{true} | \mathbf{false} | A = A | A \leq A | !B | B \&\& B | B || B | (B) \\ C &\rightarrow \mathbf{skip} | V := A | C ; C | \mathbf{if} B \mathbf{then} C \mathbf{else} C \mathbf{end} | \mathbf{while} B \mathbf{do} C \mathbf{end} \\ D &\rightarrow L | -L \\ L &\rightarrow \mathbf{0}L | \dots | \mathbf{9}L | \mathbf{0} | \dots | \mathbf{9} \\ V &\rightarrow \mathbf{a}V | \dots | \mathbf{z}V | \mathbf{a} | \dots | \mathbf{z} \end{aligned}$$

- $\gamma = C$.

Do the following problems:

1. Derive at least three strings that belong to $L(G)$. Show your derivations.
2. Formally prove that the string '**while true do skip end**' is a member of $L(G)$.
3. Is the string '**if true then skip end**' a member of $L(G)$? Why? Why not?
4. Add a rule to the above grammar that would add the command 'repeat-until' to the language. Show that your grammar works by showing that you can derive a program that contains the 'repeat-until' command.